- Slide 6-112: The superfluous second equality sign on the bottom displayed equation has been removed.
- Slide 6-113: The page index of 5-113 should be 6-113.
- Slide 6-120: To make it more specific, I add "for $nT_b \leq t < (n+1)T_b$ ", two places.
- Slide 6-121: To make my intension more clear, I replace "The passband signals respectively for $I_n = -1$ and $I_n = +1$ are coherent orthogonal" with "The passband signals respectively for $I_n = -1$ and $I_n = +1$ are better to be coherent orthogonal."
- Slide 6-122: A plus sign is inserted between $\delta\left(f \frac{1}{2T_b}\right)$ and $\delta\left(f + \frac{1}{2T_b}\right)$.
- Slide 6-122: To make it more specific, I add "for $nT_b \leq t < (n+1)T_b$ ".
- Slide 6-123: The page index of the slide should be 5-123 instead of 6-123.
- Slide 6-123: To make it more specific, I add "for $nT_b \leq t < (n+1)T_b$ ". In addition, at the bottom line, I replace

$$\left(\prod_{k=0}^{n} I_k\right) \times I_n e^{j(\pi/2)\left[\left(\frac{t-nT_b}{T_b}\right)+n\right]}$$

by

$$\left(\prod_{k=0}^{n-1} I_k\right) \times e^{j(\pi/2)\left[\left(\frac{t-nT_b}{T_b}\right)+n\right]}.$$

(Note that these two expressions are actually equivalent.)

- Slide 6-124: Results of $I_0 e^{j(\pi/2)}$ are given. Indications are added to clarify that the first two columns are from textbook, which should be an accumulated phases.
- Slide 6-126~6-130: The page indices of 5-126~5-130 should be 6-126~6-130.
- Slide 6-132~6-133: The page indices of 5-132~5-133 should be 6-132~6-133.

- Slide 6-135~6-137: The page indices of 5-135~5-137 should be 6-135~6-137.
- Slide 6-140: The definite of $\tilde{s}(t)$ and g(t) should be refined as:

$$\tilde{s}(t) = \sum_{\ell=-\infty}^{\infty} \left[\tilde{I}_{2\ell-1} \cdot g(t - (2\ell - 1)T_b) \cdot + j\tilde{I}_{2\ell} \cdot g(t - 2\ell T_b) \right]$$

and

$$g(t) = \begin{cases} \sqrt{\frac{2E_b}{T_b}} \sin\left(\frac{\pi t}{2T_b}\right), & 0 \le t < 2T_b\\ 0, & \text{otherwise} \end{cases}$$

With the refined definitions, we can therefore claim that

$$\bar{S}_B(f) = 2\left(\frac{1}{2T_b}\right)G(f)G(-f) = \frac{32E_b}{\pi^2} \left[\frac{\cos(2\pi T_b f)}{16T_b^2 f^2 - 1}\right]^2.$$

The details for the derivation of $\bar{S}_B(f)$ can be found below.

$$\begin{split} G(f) &= \int_{0}^{2T_{b}} \sqrt{\frac{2E_{b}}{T_{b}}} \sin\left(\frac{\pi t}{2T_{b}}\right) e^{-j2\pi ft} dt \\ &= \int_{0}^{2T_{b}} \sqrt{\frac{2E_{b}}{T_{b}}} \frac{1}{2j} \left(e^{j\pi t/(2T_{b})} - e^{-j\pi t/(2T_{b})}\right) e^{-j2\pi ft} dt \\ &= \frac{1}{2j} \sqrt{\frac{2E_{b}}{T_{b}}} \left(\int_{0}^{2T_{b}} e^{-j2\pi t[f-1/(4T_{b})]} dt - \int_{0}^{2T_{b}} e^{-j2\pi t[f+1/(4T_{b})]} dt\right) \\ &= \frac{1}{2j} \sqrt{\frac{2E_{b}}{T_{b}}} \left(\frac{\sin(2\pi [f-1/(4T_{b})]T_{b})}{\pi [f-1/(4T_{b})]} e^{-j2\pi [f-1/(4T_{b})]T_{b}} \right) \\ &= \frac{1}{2j} \sqrt{\frac{2E_{b}}{T_{b}}} \left(\frac{\sin(2\pi [f-1/(4T_{b})]T_{b})}{\pi [f+1/(4T_{b})]} e^{-j2\pi [f+1/(4T_{b})]T_{b}}\right) \\ &= \frac{1}{2j} \sqrt{\frac{2E_{b}}{T_{b}}} \left(\frac{\sin(2\pi fT_{b}-\pi/2)}{\pi (4fT_{b}-1)/(4T_{b})} e^{-j2\pi fT_{b}} e^{j\pi/2} - \frac{\sin(2\pi fT_{b}+\pi/2)}{\pi (4fT_{b}+1)/(4T_{b})} e^{-j2\pi fT_{b}} e^{-j\pi/2}\right) \\ &= \frac{1}{2j} \sqrt{\frac{2E_{b}}{T_{b}}} \left(\frac{-\cos(2\pi fT_{b})}{\pi (4fT_{b}-1)/(4T_{b})} e^{-j2\pi fT_{b}} e^{j\pi/2} - \frac{\cos(2\pi fT_{b})}{\pi (4fT_{b}+1)/(4T_{b})} e^{-j2\pi fT_{b}} e^{-j\pi/2}\right) \\ &= \frac{1}{2j} \sqrt{\frac{2E_{b}}{T_{b}}} \frac{j\cos(2\pi fT_{b})}{\pi (4T_{b})} e^{-j2\pi fT_{b}} \left(\frac{1}{1-4fT_{b}} + \frac{1}{1+4fT_{b}}\right) \\ &= \sqrt{\frac{2E_{b}}{T_{b}}} \frac{4T_{b}\cos(2\pi fT_{b})}{\pi (1-16f^{2}T_{b}^{2})} e^{-j2\pi fT_{b}}, \end{split}$$

where

$$\begin{aligned} \int_{0}^{T} e^{-j2\pi ft} dt &= \left. \frac{1}{-j2\pi f} e^{-j2\pi ft} \right|_{0}^{T} \\ &= \left. \frac{1}{-j2\pi f} e^{-j2\pi fT} - \frac{1}{-j2\pi f} \right. \\ &= \left. \frac{1}{j2\pi f} e^{-j\pi fT} \left(e^{j\pi fT} - e^{-j\pi fT} \right) \\ &= \left. \frac{\sin(\pi fT)}{\pi f} e^{-j\pi fT} \right. \end{aligned}$$

This concludes to:

$$G(f)G(-f) = T_b \frac{32E_b}{\pi^2} \frac{\cos^2(2\pi fT_b)}{(1-16f^2T_b^2)^2}.$$

- Slide 6-148: The cross reference should be 6-138 instead of 6-139.
- Slide 6-153: The derivation has been modified.
- Slide 6-155: The box containing "h = 1/2 and continuous phase" is removed.
- Slide 6-158: s_i is replaced with s_k in the first line. s(t) is replaced with $s_k(t)$ in the second line. s_i is replaced with $s_{i,k}$ in both third and forth lines.
- Slide 6-159: dt is missing at the end of the integration for x_i . "However, q is unknown..." should be "However, θ is unknown..."
- Slide 6-166: The wordings of final note has been updated as follows.

The merit of noncoherent matched filter over coherent matched filter is that the latter actually samples the output before the lowpass filter (i.e., high-frequency signal) while the former samples the output after the lowpass filter (i.e., true envelope signal). Hence, the latter has much higher demand on the accuracy of sampling time.

- Slide 6-168: A note emphasizing the orthogonality of $s_1(t)$ and $s_2(t)$ is added.
- Slide 6-169: The ending "t" is missing in "Hilber". A comment is additionally added aside.

The text is not clear here! For a noncoherent matched filter, the sampler should be placed after the lowpass filter (i.e., after the square-rooter). The key that the text wish to stress however is that $s_1(t)$ and $s_2(t)$ are orthogonal so they can be viewed as inner-product basis.

- Slide 6-171: "Are" is inserted between "All four" and "independent".
- Slide 6-174: The top " x_{Q_0} " should be " x_{I_1} ".
- Slide 6-176: "Are" is inserted between "All four" and "independent", two places.
- Slide 6-178: "counterpart" is misspelled as "couterpart".

- Slide 6-180: "from the distance between the below constellation" is rephrased as "from the below constellation".
- Slide 6-185: "16 QAM at high SNR" should be added at the end of "4 dB coding gain over".
- Slide 6-200: "its rotated version" is replaced by "their rotated versions". "think that" is replaced by "view it as".